

the observations are fitted best by a velocity. However, the situation is indicated above, q_c has been determined from the observations from the linearizing the Gorter-Mellink term with experimental data and the linear theory. Points deviate from the linear theory and q_c the Gorter-Mellink term does not give the full mutual friction force begins to show a similar behavior and has given rise to the possible existence of "sub-

for deriving critical velocities from the computed curves; and it is the values of the "critical velocity" equations used in the calculation do not attempt to do this, certain qualitative experimental curves emerge rather than results permit visual recognition of a changing, from which one may infer a substantially smoother and a critical velocity. A comparison of curves a, d and the results. (This is to say that although the experimental results, it fails to take the aid of reasonable arbitrary results of which are instructive and experimentalist may readily be led astray. The calculated curves in which no v_c is compared; the heat current correction of the curves from each other, different; from this a "critical velocity" results are found in remarkably good agreement from the experimental curves. However, above 1.8°K the "critical velocity", in contrast to the observed values, is a prescription. Yet the existence of this may serve as a warning to the experimenter interpreting changes in the character of the relation to changes in experimentally at the criterion used above essentially

requires the term $\propto d^2 \bar{q}^2$ occurring in (26) to be of the order of a few percent and that this criterion was in fact suggested earlier by London (20a). This requirement implies that $v_c d$ is a function of temperature alone. Such a variation of v_c with slit size has been found to agree with some experiments; but this condition also has only a limited range of applicability and must be considered spurious too.

V. DISCUSSION

In the preceding section we have demonstrated the rather remarkable result that a phenomenological model of the thermohydrodynamic behavior for liquid He II containing no adjustable parameters fits exceedingly well the experimental data obtained for bulk liquid as well as for liquid confined to very narrow channels, over a wide temperature range and for extreme temperature differences. It is significant that to achieve this result it has not been necessary to resort to any detailed, microscopic picture concerning the nature of turbulence in liquid He II. On the other hand we have noted several regions where nontrivial, systematic deviations occur between the measurements and the predictions of the theory. It is believed that at least some of these deviations have their origin in effects associated with the narrowness of the channel widths, and that consideration of a microscopic model is at this point required for a better understanding of the situation. In particular, some of the ideas derived from the Onsager-Feynman quantized vortex-line model appear to be pertinent and may be applied to the present results.

On the assumption that the degeneration of superfluidity in liquid He II comes about from the creation of vortex motion in the superfluid, Vinen has interpreted the mutual friction force in terms of the properties of elementary, quantized vortices. According to Vinen's (21) description the Gorter-Mellink coefficient $A(T)$ effectively describes the interactions between the vortex lines, moving with the superfluid, and the thermal excitations comprising the normal fluid. $A(T)$ is calculable from the kinetic model subject to several assumptions and restrictions, among which are two that are of importance when narrow slits are considered: (1) the turbulence is assumed to be homogeneous, requiring that the average distance l between vortex lines is small compared to the smallest dimensions of the slit; and (2) the effective viscous penetration depth, $1/\lambda = 2\eta_n/\rho_n(\bar{v}_n - \bar{v}_s)$, should be small compared to the slit dimensions.

The effect of these restrictions when applied to the calculations for the 3.36 μ slit is indicated in Fig. 4. Values of line spacing in turbulent flow l have been obtained according to Vinen's method from his graph of $l|\bar{v}_s - \bar{v}_n|$ vs. T (Fig. 1 of ref. 21). It is seen that the viscous penetration depth equals the slit width at smaller relative velocities than does the average vortex line spacing, so that the restriction on the line spacing is the more stringent. Since l decreases as \bar{q}